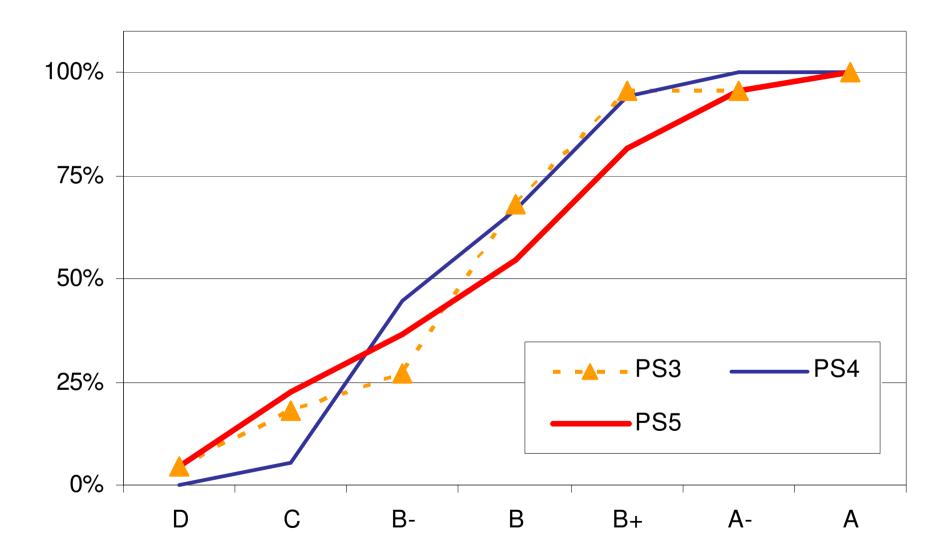
EC220-PS5

Antoine Goujard a.j.goujard@lse.ac.uk

Office hour: on Monday in S684 from 16:30 to 17:30



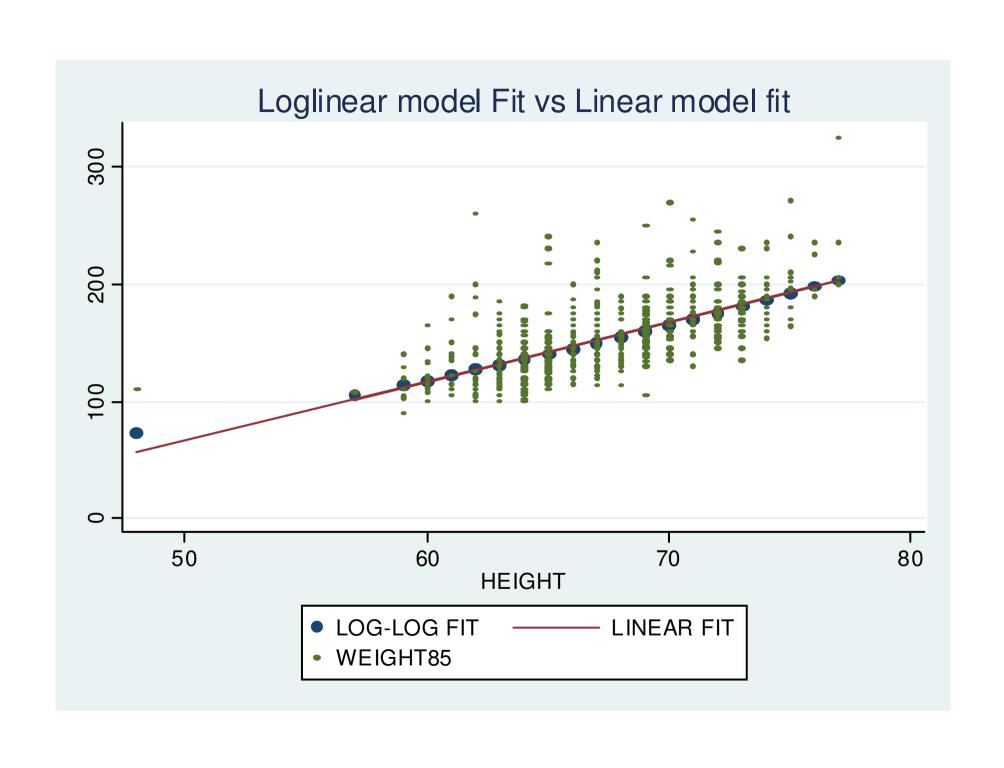
Fitted line \hat{Y} With Y the dependent variable. $\hat{Y} \neq \exp(\log Y)$

Notations
$$b \neq \beta$$

Rules for exp and In/log

Interpretation in the multiple regression holding the other variables constant

<u>Interpretation</u> of logarithmic and semilogarithmic models (elasticity, effect of expl. Var.)



Box-cox transformation

We want to compare the following models:

$$\begin{cases} (1) & \ln(Y_i) = \beta_1 + \beta_2 X_i + u_i \\ (2) & Y_i = \alpha_1 + \alpha_2 X_i + v_i \end{cases}$$

We fit models (1) and (2) by OLS and obtain:

$$\begin{cases} (1) & l\hat{\mathbf{n}}(Y_i) = b_1 + b_2 X_i, RSS_1, R_1^2 \\ (2) & \hat{Y}_i = c_1 + c_2 X_i, RSS_2, R_2^2 \end{cases}$$

We can not compare directly RSS1 and RSS2 because they do not have the same unit. In our case, Y is in \$/hour while In(Y) has not the same unit:

Ln(Y) is measured in "ln(\$/hour)"

The residuals have the same units as the dependent variables which are different between model (1) and model (2). The same holds for the RSSs, we can not compare them directly!!